

## Pre-Class Response for Lecture 10:

We're going to begin the "Returns to Education" unit! The goal is to understand the effect of education (that is, an extra year of high school; or going to college; etc) on outcomes further down the road (for example, earnings at age 30).

Here are two first attempts to get at this effect, given that a randomized experiment is difficult/unethical.

**Attempt 1:** Look at data from the US census, and run a multivariate regression, where:

- The independent variable is  $X$  = years of education,
- The dependent variable is  $Y = \log(\text{earnings})$ .

Imagine that the regression controls for a bunch of possible confounders: Parents' income, parents' education, race, gender, age, IQ tests taken as a child, ...

Interpret the coefficient  $\hat{\beta}$  on  $X$  as the "earnings returns to education." That is, if someone gets one more year of education, you would expect that their  $\log(\text{earnings})$  would increase by  $\hat{\beta}$ , or alternatively that their earnings by would increase by a multiplicative factor of  $e^{\hat{\beta}}$ .

**Attempt 2:** Look at data from a few hundred pairs of identical twins. Each pair of twins have the same parents, race, gender, age, and so on. Run a regression where, for each pair of twins:

- The dependent variable is  $Y = \log(\text{earnings of twin 1}) - \log(\text{earnings of twin 2})$
- The independent variable is  $X = (\text{years of education for twin 1}) - (\text{years of education for twin 2})$

Interpret the coefficient on  $X$  as the "earnings returns to education" (in the same sense as in Attempt 1).

*For both attempts, don't worry for now about why we are measuring  $\log(\text{earnings})$  instead of earnings – we'll talk about that in class!*

**Question:** Which of these two attempts would you find more compelling and why? Also, what additional information about the two attempts would be most helpful in answering that question?